# Modeling variable multi-wavelength emission during blazar flares

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- 2 Development of the SSC code
- 3 Application of the code: Mrk 421 flare



2 Development of the SSC code

3 Application of the code: Mrk 421 flare

## Introduction. Blazars: phenomenon, properties, observations

#### $\ensuremath{\textbf{Blazars}}$ are AGN with jet aligned with line of sight

- non-thermal continuum from radio to  $\gamma\text{-rays}$
- two bump SED
- highly variable
  - VHE flares: flux increase by factor  $\sim 10$  at time scale minutes days

Why study? Ideal laboratories to study AGN jets physics

- broad band emission origin
- particle acceleration mechanisms
- origin of flares
- <u>Method</u>: MWL studies of temporal and spectral characteristics of radiation from radio to VHE γ-rays





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## 3 Application of the code: Mrk 421 flare

#### Motivation & Goals

- Origin of blazar flares is still not understood very well.
- Full MWL coverage is quite rare. Very precious for getting a better insight of the physical processes involved.

**<u>Goal</u>**: develop a code for modeling broad-band spectra and light curves (LC) of blazars during flaring activity.



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# Approach

I have developed a code **EMBLEM** (Evolutionary Modeling of BLob EMission)

Ingredients of my code:

- conventional one-zone leptonic scenario (blob-in-jet,  $\delta_{blob}$ )
- electrons are injected (instant./cont.) into blob and experience:
  - stochastic (Fermi II) or/and shock (Fermi I) acceleration
  - escape
  - synchrotron and SSC cooling
- radiation: synchrotron + synchrotron self Compton (SSC)

$$\frac{\partial N_e}{\partial t} = \frac{\partial}{\partial \gamma} \left( \left[ \beta_{cool} \gamma^2 - 2D_0 \gamma - a\gamma \right] N_e \right) + \frac{\partial}{\partial \gamma} \left( D_0 \gamma^2 \frac{\partial N_e}{\partial \gamma} \right) - \frac{N_e}{t_{esc}} + Q_{inj}$$
(1)

- Kinetic equation is solved with Chang & Cooper numerical scheme  $\Rightarrow$  electron spectrum evolution
- SED is computed from electron spectrum (SSC scenario) for a set of time steps
- LC  $\ \Rightarrow\$  integration of SEDs

- The magnetic field in the blob is tangled, homogeneous in strength and constant
- Hard-sphere approximation is assumed (turbulent spectrum with slope q = 2)  $\Rightarrow$  time scale of Fermi II acceleration is energy-independent
- The particle escape is energy independent

Currently the code application is limited only to BL Lac objects (The external IC is not treated)

#### Nothing to see here. Skip this slide.

We explore effect of several parameters on the *peak* SED during a flare caused by Fermi II acceleration acting in emitting blob



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Development of the SSC code

## 3 Application of the code: Mrk 421 flare

#### Archival Mrk 421 February 2010 flare: multi-WL dataset

BL Lac Mrk 421: strong flare during February 10-23, 2010.

>> RARE dataset: almost full time coverage across EM spectrum!



Shukla et al., 2012

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Modeling MWL emission during blazar flares

*Flare* = *perturbation above quiescent state* 

>> We aim at *connecting* the steady-state emission to the high state

Approach:

- 1. Physical scenario:
  - continuous *injection* of electrons from the base of the jet (power law with exp cutoff - Fermi I process)
  - escape with time scale  $t_{esc} = 1 \text{ R/c}$
  - synchrotron + SSC *cooling*
- $\Rightarrow$  processes compete and asymptotically steady state is established

2. Fit SED data points for low state (*Abdo et al., 2011*) with above-mentioned model and deduce the physical parameters.

#### Parameters of the source:

 $\begin{array}{ll} B = 0.022 \ G. & \delta_b = 28 \\ \gamma_{min,inj} = 1000 & Q_{inj} = A \cdot \gamma^{-2.18} \cdot exp(-\gamma/5 \cdot 10^5) \\ R_b = 4.9 \cdot 10^{16} \ cm. & t_{esc} = 1 \ R_b/c \end{array}$ 



# Modeling of the flare: single-zone scenario

perturbation localized to the emitting blob (shock and/or turbulence) initiates the flare



#### Results

Simplest scenario:

- ! Model predicts *too high optical flux* while describing adequately the X-ray data.
- Obtained analytical solution for the case of shock passing through the blob and developed a general criterion to test such 1-zone model

# X SINGLE-ZONE SCENARIO DOESN'T WORK

# Modeling of the flare: two-zone scenario A

- Acceleration and emitting zone (spatially separated)
- Suddenly appearing turbulence around the blob (e.g. KH instability??)
- Electrons from the base of the jet (pre-accelerated) reach turbulent zone and experience stochastic acceleration
- Accelerated electrons from turbulent zone are injected into the blob
  - have harder spectrum
  - radiate SSC emission
  - $\Rightarrow$  additional emission on top

of quiescent  $\Rightarrow$  FLARE



>> In this scenario flare is caused by additional external injection on top of quiescent

- 1. We model electron acceleration in the turbulent region
  - Same injection spectrum as for steady state
  - Emission from acc. zone subdominant  $\ \Rightarrow\ R_{acc.zone} < R_{blob}$  ,  $B_{acc.zone} < B_{blob}$
  - Try simple case: turbulence abruptly starts, lasts for  $t_{life, acc. zone}$  and then ends
- 2. We model emission from the blob
  - $N_{e,low,state}$  as initial condition, same physical parameters as for quiescent state
  - Adjust parameters of acc. zone that the simulated light curves match the data

#### Parameters of the turbulent zone:

$B_{az} = 0.027 \ G.$	$R_{az} = 5.51 \cdot 10^{15}$ cm.
$t_{FII,az} = 43  R_{az}/c$	$t_{esc,az} = 18  R_{az}/c$
$t_{life,az} = 4.65  d.$	injected fraction $pprox 3\%$

Time evolution of the electron spectrum in the turbulent zone and total SED (\*time advances from violet to red)



## Two-zone scenario A: data vs. model



- ✓ GOOD, BUT NOT PERFECT: Optical to X-ray data is described satisfactory
- ! Model underpredicts  $\gamma$ -ray flux by a factor of  $\sim$ 3
- ? Completely decouple quiescent and flaring emission?

# Modeling of the flare: two-zone scenario B

- Two emitting zones (spatially separated)
- Quiescent emission region and a smaller flaring blob
- Flaring emission is coming from the small blob
- The small blob is moving faster than the quiescent blob and is crossing it
- During passage, turbulence is induced in the small blob (*simplification*: entire volume of small blob is turbulent, quiescent region not affected)
- Particles are accelerated via Fermi II process ⇒ FLARE



>> In this scenario flaring emission is originating from a different emitting zone

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# Approach for the modeling

- 1. Constraints on the parameters of the flaring blob
  - Same injection spectrum for both blobs (the one for quies. state of Mrk 421)
  - Low-state emission of flaring blob is negligible  $\rightarrow R_{flar.blob} < R_{quies.blob}$
  - Doppler factor of flaring blob is defined by the time of the flux rise:

$$t_{cross} = \frac{\delta_f^2 + \delta_q^2}{\delta_f^2 - \delta_q^2} \cdot \frac{2R_{quies.\,blob}}{c} = t_{rise} \cdot \delta_f \qquad \Rightarrow \qquad \delta_f = 37.7$$

- Escape time scale during the turbulence is linked to the Fermi II acceleration time scale:

$$t_{
m esc,f}^{(turb)} = rac{R_{flar,blob}^2}{c^2 eta_A^2 t_{Fll}} > t_{
m esc,f} ~, ~eta_A = rac{1}{\sqrt{1 + (4\mu_0 < \epsilon >)/(3B^2)}}$$

$$<\epsilon>=rac{1}{t_{max}-t_{min}}\cdot\int_{t_{min}}^{t_{max}}\int_{\gamma_{min}}^{\gamma_{max}}N_{e,fb}(\gamma,t)\cdot\gamma m_ec^2d\gamma dt$$

- 2. Modeling the emission from the flaring blob
  - Try simple case: turbulence suddenly starts, lasts for  $t_{cross} = t_{rise} \cdot \delta_f$  and then ends
  - Adjust parameters of the small blob in a way that the sum of flaring and quiescent emission describes the data

#### Two-zone scenario B: Evolution of the SED

#### Parameters of the flaring blob:

 $B_f = 0.016 G.$  $t_{\rm FII} = 25 R_{\rm flar, blob}/c$  $t_{esc,f}^{(turb)} = 14 \, R_{flar.blob}/c$  $\beta_{A} = 0.05$ 

$$R_{\textit{flar.blob}} = 1 \cdot 10^{16} \ \textit{cm}.$$
  
 $t_{\textit{esc,f}} = 11 \ R_{\textit{flar.blob}} / c$ 

Time evolution of the total SED

(\*time advances from violet to red)



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## Two-zone scenario B: data vs. model



✓ **WORKS BETTER**: Model describes MWL dataset fairly well in all the bands.

- ! Too short decay of the simulated LC compared to the data!
- ? More realistic gradually growing and decaying turbulence???
- ? Possible interaction (IC) between electrons in small blob and photons in large one?
- ? Is integrity of blobs preserved after crossing?



- 2 Development of the SSC code
- 3 Application of the code: Mrk 421 flare



- We developed a time dependent SSC code for modeling of varying MWL emission during blazar flares
- We applied our code to archival flare of Mrk 421 which occurred in February 2010
- A single-zone scenario in which the emitting zone is perturbed by a shock and/or turbulence can't explain the data
- A two-zone scenario with emitting and acceleration zone works better, but underpredicts  $\gamma\text{-ray}$  emission
- A scenario with two emitting zones in which flaring emission is originating from a smaller blob works quite well
- The decay of the simulated light curves is shorter than in the data. Possible explanation gradually developing and fading turbulence
- The inverse Compton scattering of quiescent emission photons by the electrons of flaring blob might be important need to consider that

## Back-up slides

- Physical parameters of the emitting blob
  - B (magnetic field)
  - $-\gamma_{min,inj}$  (minimal Lorentz factor of injected electrons)
  - $-R_b$  (radius of the blob)
  - $-\delta_b$  (Doppler factor of the blob)
  - -z (redshift of the source)

#### Evolution parameters

- $t_{inj}$  (duration of particle injection)
- $-t_{esc}$  (time scale of particle escape)
- $Q_{inj}(\gamma, t)$  (injection function/spectrum)
  - Power law in  $\gamma$  with exponential cutoff (parametrized with normalization  $A_{inj}$ , slope  $\alpha_{inj}$  and cutoff Lorentz factor  $\gamma_{cut}$ )

$$Q_{\textit{inj}}(\gamma) = A_{\textit{inj}} \cdot \gamma^{-lpha_{\textit{inj}}} \cdot exp(-\gamma/\gamma_{\textit{cut}})$$

 $\circ$  Arbitrary function (could be also time-dependent)

- $t_{FII} = 1/D_0$  (time scale of stochastic acceleration)
- $t_{FI} = 1/a$  (time scale of shock acceleration)
  - $\circ$  It is possible to activate acceleration processes for only certain period of time  $t_{life,FI,II}$
  - $\circ$  Arbitrary parametrization of time-dependent acceleration process
- SED parameters
  - EBL model name (Dominguez/Finke/Inuoe/Gilmore/Kneiske)