

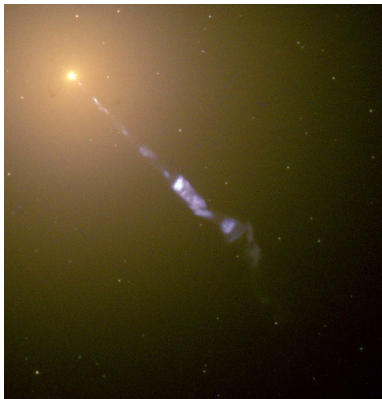


# Electromagnetic cascades in Kerr black hole magnetospheres

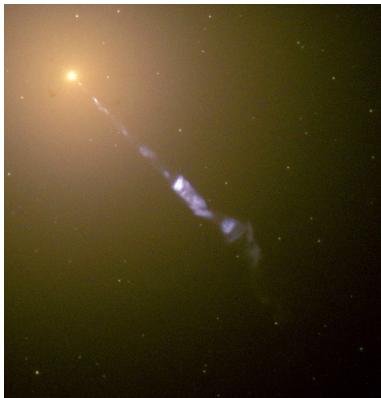
Benjamin Crinquand

Simulating the evolution and emission of  
relativistic outflows

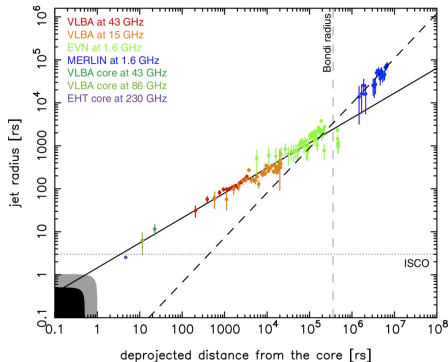
28 November, 2019



*Hubble photo of the jet ejected from M87*

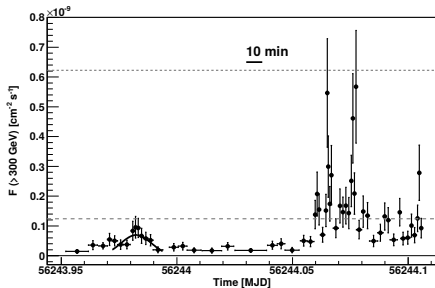


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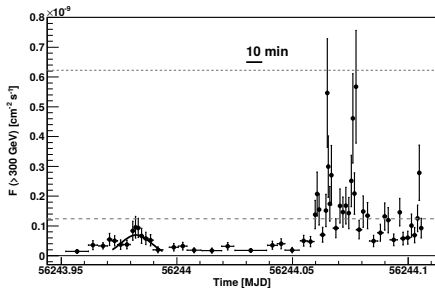
*M87 radio jet width as a function of the distance to the black hole*

**Jets are launched very close to the event horizon!**



*Gamma-ray luminosity of the AGN IC 310*

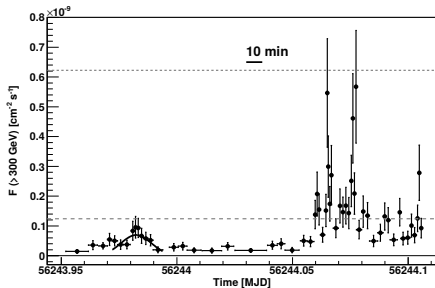
- ▶ For IC 310: horizon crossing time  $\Delta t = r_g/c = GM/c^3 \approx 23$  min
- ▶ Extremely variable gamma-ray flares observed
- ▶ Brightening of the radio core during flares



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⇒ ***Particles are accelerated very close to the event horizon***

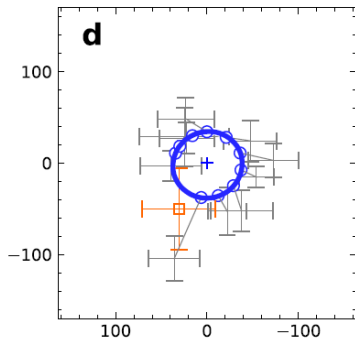


Gamma-ray luminosity of the AGN IC 310

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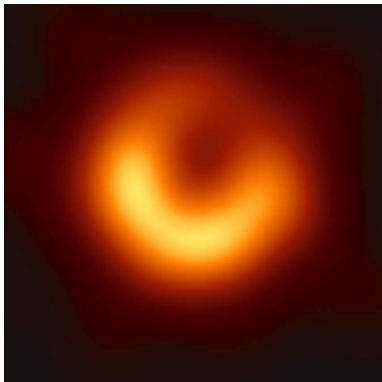
⇒ *Particles are accelerated very close to the event horizon*

⇒ *Connection between particle acceleration and jet formation*



- Observation of a hot spot orbiting *Sgr A\** by GRAVITY
- Polarization measurements suggest ***large scale poloidal magnetic field***

*Motion of the flare centroid*



*EHT image of the supermassive black hole shadow in M87*

- ▶ Confirms M87\* as a supermassive black hole
- ▶ Asymmetry of the ring controlled by the BH spin
- ▶ Multi-wavelength observation → black hole must be spinning



## Ingredients:

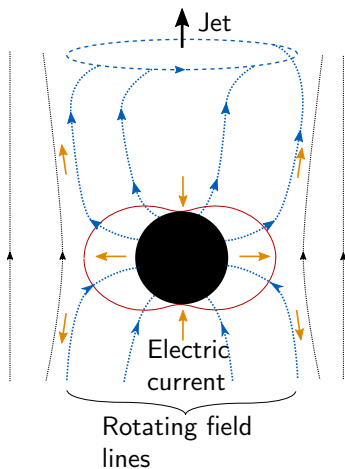
- ▶ Spinning black hole
- ▶ Large scale magnetic field
- ▶ Hot and collisionless accretion flow

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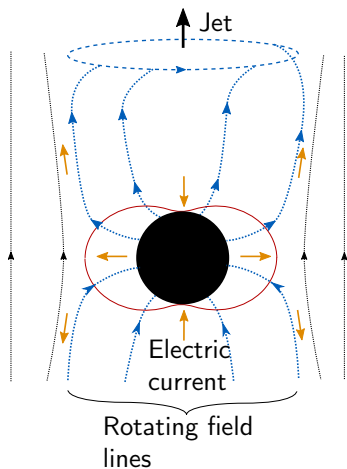
- ▶ Spinning black hole
- ▶ Large scale magnetic field
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## Key questions:

- ▶ How is energy extracted from the black hole? (What powers the jet?)
- ▶ How is the jet loaded with mass?
- ▶ How (and where) are particles accelerated?



- ▶ Electromotive force originates from space-time dragging by the spinning black hole
- ▶ Current carried by plasma, which extracts energy and angular momentum from the BH



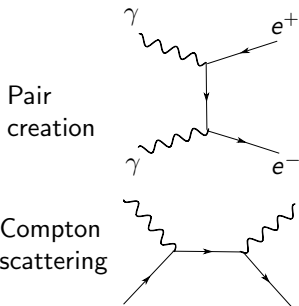
- ▶ Electromotive force originates from space-time dragging by the spinning black hole
- ▶ Current carried by plasma, which extracts energy and angular momentum from the BH
- ▶ Output power prediction:

$$L \sim 10^{46} a^2 \left( \frac{B_0}{10^4 \text{ G}} \right)^2 \left( \frac{M}{10^9 M_\odot} \right)^2 \text{ erg/s}$$

⇒ Can account for the observed power of AGN

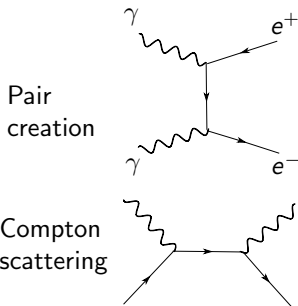
**In this picture, plasma must be continuously injected in the black hole magnetosphere**

- Particles and photons interact with a soft background radiation field (produced by the accretion disk)

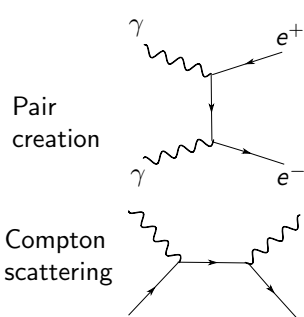


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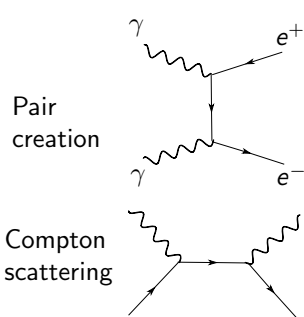


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→ high-energy radiation

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- ▶ Photon-photon annihilation → plasma injection

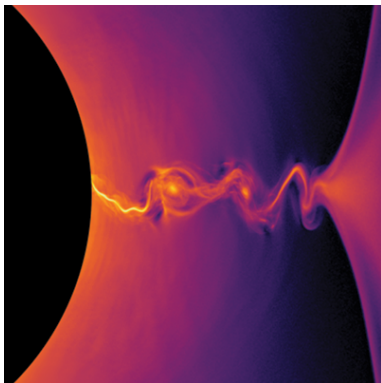


Particle-in-cell simulations  
including full GR, with vertical  
magnetic field

## Approximate injection method

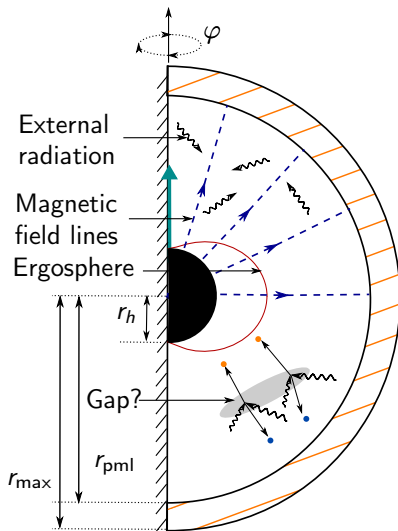
Every time step, inject density  
 $\delta n \propto |\mathbf{D} \cdot \mathbf{B}| / B$ , provided  
 $|\mathbf{D} \cdot \mathbf{B}| / B^2 > \epsilon$

*Parfrey, Philippov & Cerutti, 2019*



*Plasma density in the current sheet*

- ▶ Development of a force-free magnetosphere
- ▶ Reconnection and particle acceleration at the equatorial current sheet
- ▶ Energy extraction by negative-energy particles (Penrose process)



Here we include IC scattering and  $\gamma\gamma$  annihilation to have **self-consistent plasma injection**

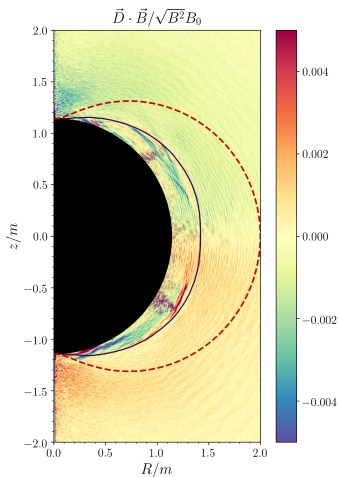
- ▶ 2D axisymmetric simulation
- ▶ Magnetic monopole
- ▶ Maximally spinning black hole:  $a = 0.99$





Phase space plot ( $\log_{10} \gamma$  as a function of the distance to the black hole, at  $\theta = \pi/4$ )

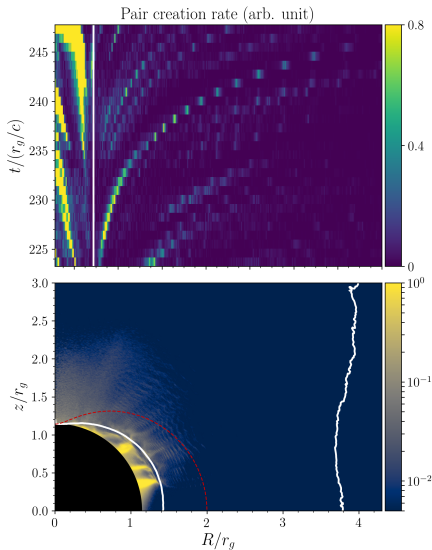
### Time averaged parallel electric field



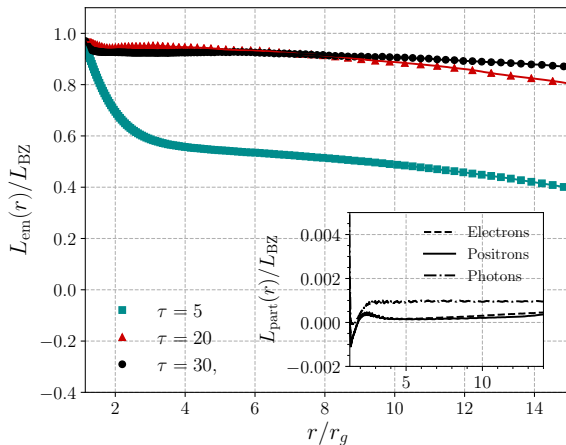
- ▶ Gap opens at the **light surface**, then moves inwards or outwards
- ▶ Conclusion holds for lower spin  $a$
- ▶ Gap size  $h$ : larger than plasma skin depth, smaller than  $r_g$

Phase space plot of the freshly created pairs





- ▶ Bursts of pair creation at short time scales (a fraction of  $r_g/c$ )
- ▶ Pair creation occurs in these “flying gaps”
- ▶ Dissipated power around 5% of the total Poynting flux



*Time-averaged Poynting flux*

- Output power matches BZ prediction  

$$L_{\text{BZ}} = B_0^2 \omega_{\text{BH}}^2 / 6$$
- Dissipation goes down as opacity increases
- Most energy transferred to low-energy photons (beyond pair creation threshold)

## Results:

- 1 Blandford-Znajek process extracts energy
- 2 Mass loading of the jet explained
- 3 Time dependent gap at the light surface

## Outlooks:

- ▶ Study other magnetic configurations
- ▶ Reproduce observables (e.g.  $\gamma$ -ray lightcurve)
- ▶ Model black hole-disc interaction (GRAVITY observations)

## Key parameters

- ▶ Opacity  $\tau_0 = n_s \sigma_T r_g$ , where  $n_s$  is the background radiation field density
- ▶ Magnitude of the magnetic field  $\tilde{B}_0 = r_g e B_0 / m_e c^2$
- ▶  $\tilde{\varepsilon}_0 = \varepsilon_0 / m_e c^2$  energy of the background radiation field

In M87\*,  $\tilde{B}_0 \sim 10^{14}$  and  $\tilde{\varepsilon}_0 \sim 10^{-9}$ ; in practice we have a smaller separation of scales, which must satisfy

$$\gamma_{\text{rad}} \gg \gamma_s \gg 1,$$

where  $\gamma_s = 1/\tilde{\varepsilon}_0$  is the Lorentz factor of the bulk of the particles, and  $\gamma_{\text{rad}}$  is the maximum Lorentz factor achievable with radiative losses

We kept  $\varepsilon_0 = 0.01 m_e c^2$ ,  $e B_0 r_g / m_e c^2 = 10^5$  fixed